

13765—86

Cylindrical helical compression (tension) springs  
made of round steel.

Design' lion of parameters, methods  
for ermination of dimensions

c Qt.07,88  
01.07.98

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1—7,  
13766-86 — 13776-86.

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1.	-	$F_1$
2.	(	$f_2$
3.	,	$h$
4.	-	$V_{\max}$
5.	—	$n_f$
6.	-	$D\backslash$
		13766-86— 13776-86

7.	-		$3 \quad 6=1 \dots (1)$ <p style="text-align: center;">I      II      -</p> $6 = 0,05 \quad 0,25$ $6 = 0,05 \quad 0,10$ $III \quad 6=0,10 \quad 0,40$ $6 = 0,15 \quad 0,40 \quad III$
8.	,	$F_3$	$F_3 - 1^6 (2)$ $13766-86 -$ $13776-86$
9.	( - - ),	$F_0$	$(0,1 - 0,25) F_3$
10.	,	$d$	$13764-66 -$ $13776-86$
11.	,	$dx$	
12.	,	$C\backslash$	$13764-86i -$ $13776-86$ $\frac{s}{s-5} \wedge 3 - F_0 W$
13.	-	$s_3$ $53$ $($ $ti$ $>0)$	
14.	,		$13764-86$ $.2$ $3 = \wedge (4) \frac{8F_r D}{}$ $\wedge = 1,82 (4)$

/

15.	, /	$V_K$ „ <sup>0</sup> <sup>2</sup> „ = -3 (5)
16.	,	$G$ $<7 = 7,85 \cdot 10^4$
17.	( - , <sup>2/</sup> ) <sub>*</sub>	$v$ $g -$ — , / <sup>2</sup> — , / <sup>3</sup>
18.	/	$Fr-Fj, F_2$ — $h - s_2 -$ $F_3 Gd^4$ = $s_s - \&D^3n (6J$
		$F_3 - F_0$ <sub>3</sub> $\sim_s ( )$
		$F^*$ $Sj S\% S_3$ $3Gd^*$ = , $k ( )$
19.		»= $Cjt (7)$
20.	\	$] - n + n_3 (8)$ $n_2 -$
21.	-	$\mathfrak{L} > = \mathfrak{L} > ! - d = \mathfrak{L} >_2 + d (9)$ $\mathfrak{L} ) = \mathfrak{L} > ! - d_1 = \mathfrak{L} > 2 + di (9)$ <b>1</b>

22.	$i$	$D$ 12	$- ( )$ $/= 1 ( )$ 4
23.	-	$- 24^\circ$ . 2	
24.	-	5]	$SI = IT ( )$
25.	,	$s_2$	$S_2 = "r (12)$
26.	,	$S_3$	(13)
27.	,	$h$	$/_3 - ( - 1 - \{ - 1 - )d (14)$ 1) $\underline{L} = -1"5 (146)$
28.	,	/	$l'd = 7 - 1 S3 (16)$
29.	,	'	$l_0 = (n_x + 1)d (15)$
30.	,		$-/ -s, (16)$ $= l_0 + 1 (16)$
31'.	,	$h$	$>= _0 --- ^2 (17)$ $l_2 = l_0 + S2 (17)$

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32.	,	$t$	$f=s_3' + d$ (18)
			$t=S\varepsilon - J \cdot g \cdot T \cdot A$ (18 )
			$t \sim d$ (186)
33.	,	$T_1$	$3 = ( \dots )_3$ (19)
34.	,	$2$	$2 = \sim \sim \dots _3$ (20)
35,	,	$k$	$, 4\varepsilon - 1 \cdot 0,615$ $4, - 4 + (2D$  $1 + 0,333s \cdot \ln^2 2 [ ]$ $k = \cos p <^{2la} >$ $P = \operatorname{arctg} 0,445 \cdot i$
36.	$( \dots )$ ,	$t$	$/ \wedge 3,2\varepsilon > \cdot i$ (22)
37.	$( \dots )$ ,	$m$	$m^{\wedge 9,25} \cdot 10^{-6} M^2 r a,$ (23)
38.	$( \dots )_3$ ,	$V$	$1^{\wedge} = 0,785 \cdot 0 J \cdot i$ (24)
39.	,	$X$	$( \dots )_3 - 7$
40,	,	$d_2$	$D_2 = D_i - 2d$ (25)
41.	,	$R_m$	$9389 - 75$ $1071 - 81$

4°

42.

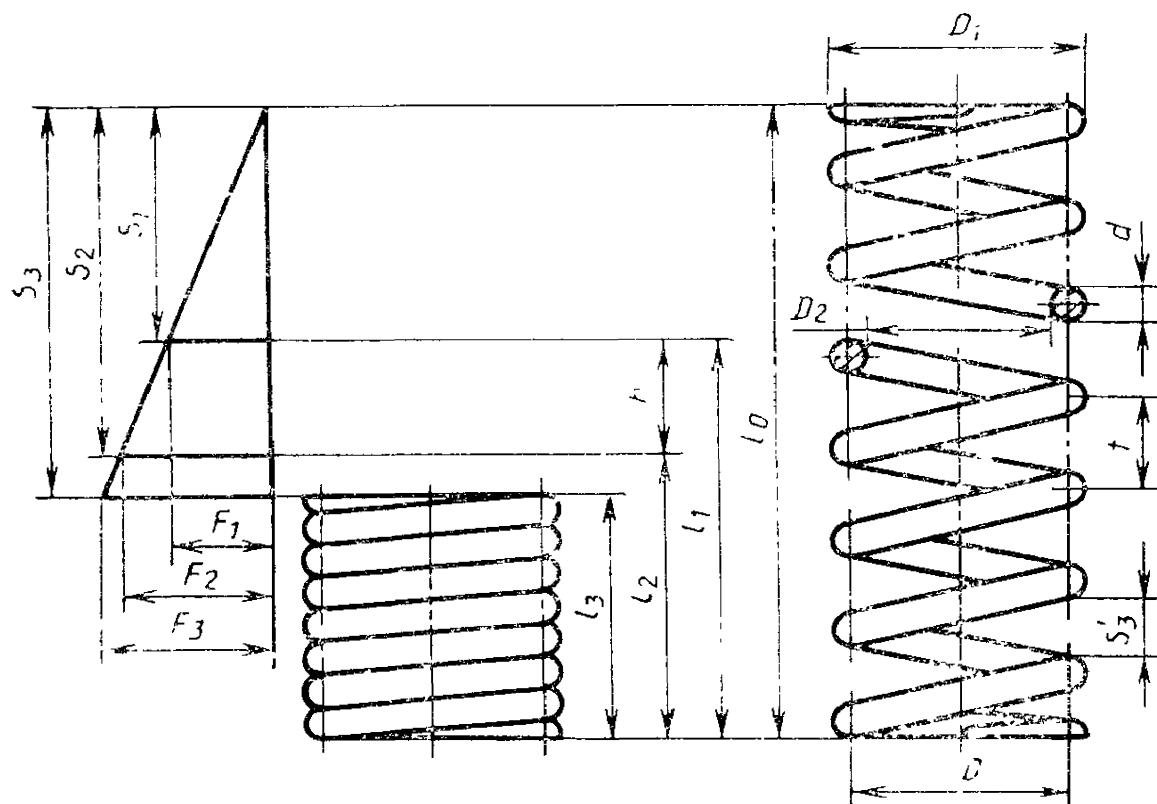
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(26)

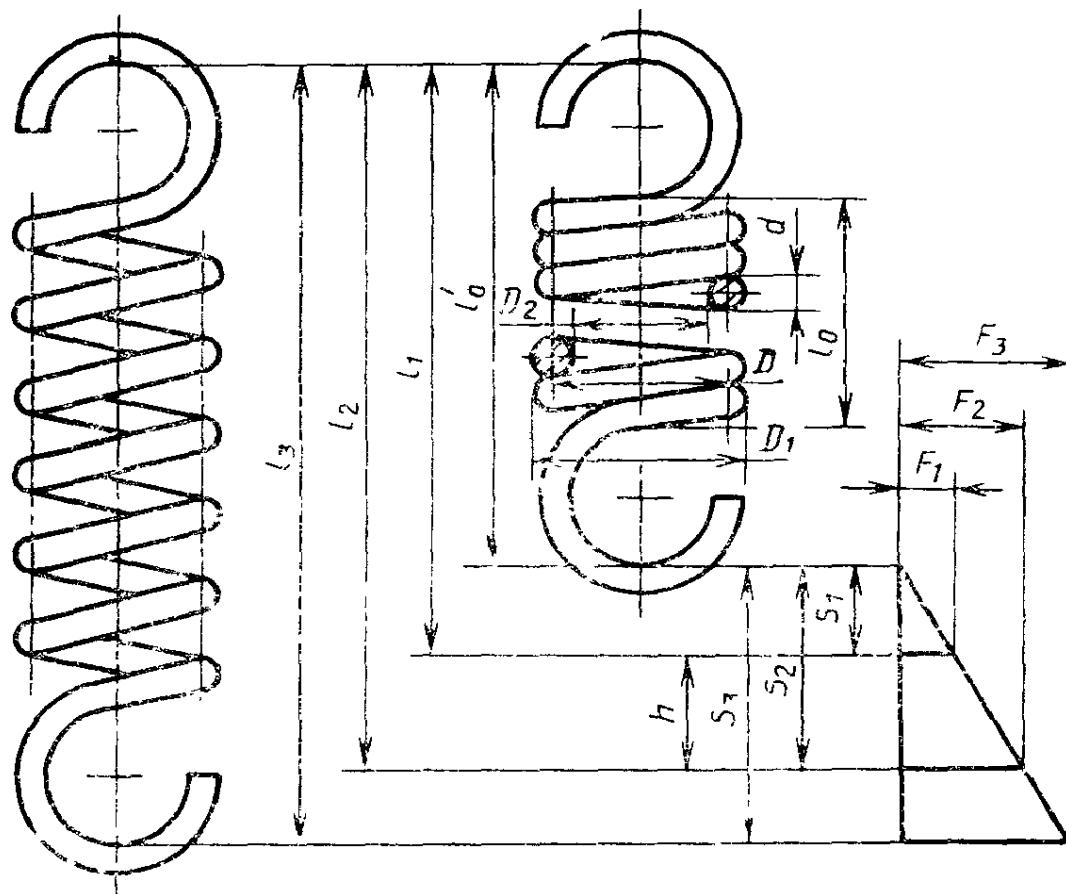
$$\frac{77}{u} \frac{(F^* + F_0) s_9}{2} \quad (26)$$

2

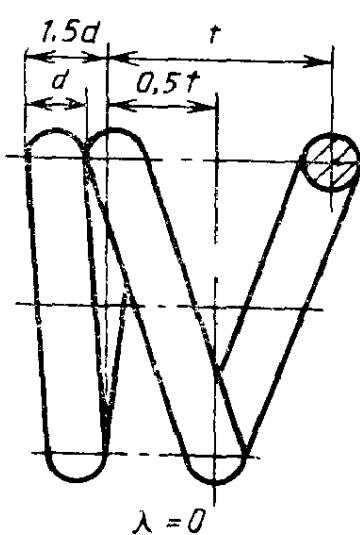
	4,0	4,5	5,0	5,5	6,0	7,0
24°	1,029	1,021	1,015	1,010	1,005	1,000



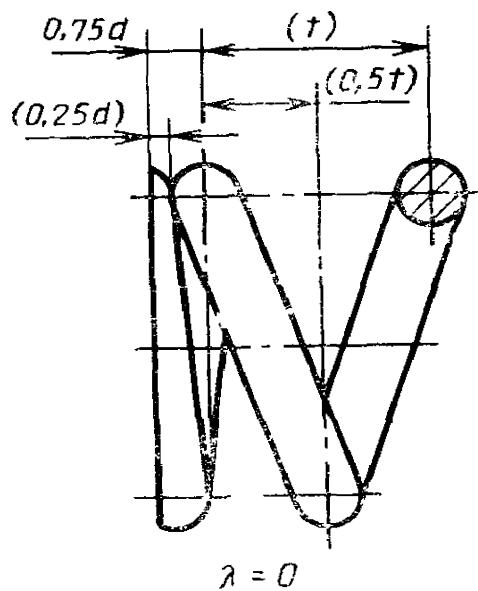
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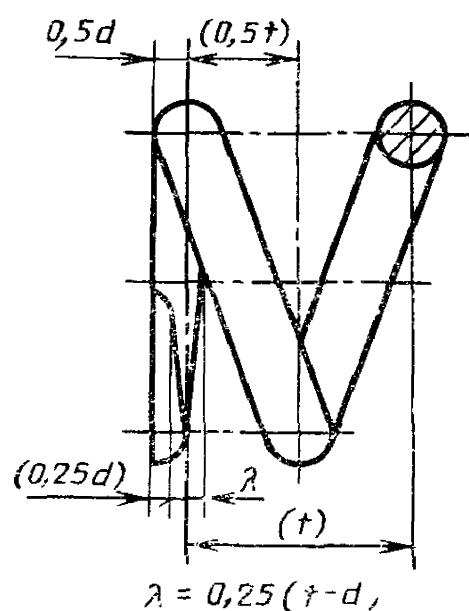
. 2



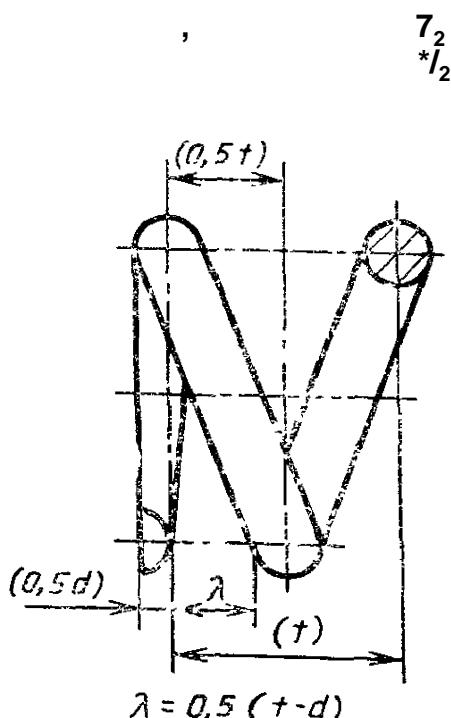
. 3



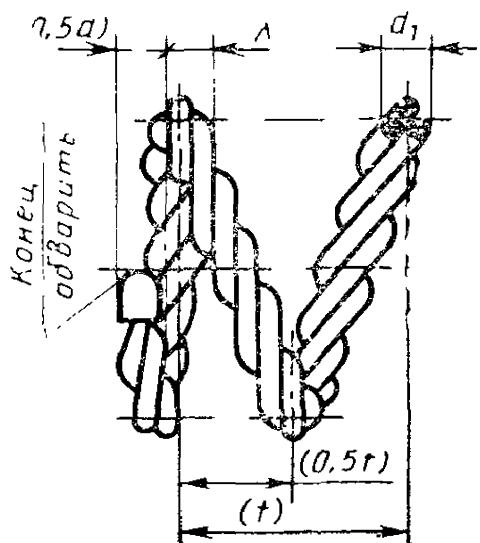
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Черт. 5



Черт. 6



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2.      I      II      ,      ,      -
- ,      . 3      4.      ,      -
- |||      . 5—7.      ,      -
- .      . 5      6      ,      -
- ;,      .      ,      -
3.      ,      ,      ,      -
- 3.1.       $F_1$        $F_{2I}$       ,      -
- ,      ,      ,      -
- $Di$  (      ) .      ,      ,      -
- ,      ,      ,      -
- $s_2$ ,      ,      ,      -
- 3.2.      ,      ,       $N_f$       -
- 13764—86.      ,      ,      -
- 3.3.      ,       $F_2$       (2)      ,      -
- 3.4.      ,      ,      . 2      13764—86,      -
- 3.5.      13766-86—      13776-86      ,      -
- ,      ,      ,      -
- $d$ .      ,      ,      -
- 3.6.      ,      ,      2      13764—86,      -
- ,      ,      ,      -
- $R_m$       ,       $R_m$       ,      -
- 1071—81.      ,      -
- 3.7.       $F_2$       5      5      ,      ,      -
- $v_k$        $v_{mSLX}fv_k$ ,      ,      -
- $v_{max}/v_k < zi$       I      II      -
- ,      ,      ,      -
- ,      ,      ,      -

## 3.8.

$F_3, \mathbf{f} > \mathbf{i}$   $d,$   $\mathbf{s}_3,$

6—25.

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 $\pm 10 \%$ .

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: = 20 ;  $I_2 = 80$  ;  $h = 30$  ;  $D_x = 10-12$  ; = 5 / ;  $\wedge$  7

13764—86,  
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1), (2),

0,05 0,25 (

3, :

$$= 1 \frac{f_2}{-0,05} \quad 1 \frac{F_2}{-0,25} "81 \pm 107$$

1 84 107 13766—86 | ,  
F<sub>3</sub>: 85; 90; 95; 100 106 .

( 355): ,

 $F_3 = 106$  ;  $d = I, 80$  ;  $D_x = 12$  ; $= 97,05 / ; \$ = 1,092$  .13764—86), | , 3—0<sub>t</sub>(3  $R_m$  ( $\wedge 0,3-2100 = 630 /$   $^2$ .

%  $x/v k^*$   
(5) 6—0,25.

$$\frac{\tau_3 \left( 1 - \frac{F_2}{F_3} \right)}{2GpIO^{-3}} \quad 630-0,25 \quad 05,t \quad = 4,5 \quad / ,$$

13770—86 (303):  $F\$$

$f = 95,0 ; d = 1,4 ; \dot{f} = 11,5 ;$

$\dot{d} = 36,58 / ; \dot{d} = 2,597 .$

$= 0,5 * 2300 = 1150 / ^2.$

$\parallel \quad 3 = 0,5 R_m$

$$(8): \quad 1 = -5^2 = 18,5 + 1,5 = 20.$$

$$(9) \quad D = I1,5 - 1,40 = 10,1$$

$$\text{Si} - \frac{F_x 20}{20} - 10'0 \quad (\text{in})$$

$$s^* \sim -2,0 - 40'0 \quad (12)$$

$$\bullet s_3 - \frac{F_3 95}{2,0} - 47'5 \quad (13)$$

$$= (1+1-n)d = (20+1-1,5) - 1,40 = 27,3 \quad (14)$$

$$1_0 = 1 + s_3 = 27,3 + 47,5 = 74,8 \quad (15)$$

$$/ = l_0 - s_1 = 74,8 - 10,0 = 64,8 \quad (16)$$

$$U - 1_0 - s_2 = 74,8 - 40,0 = 34,8 \quad (17)$$

$$^* = Sg + d = 2,6 + 1,40 = 4,0 \quad (18)$$

( /1) -

13770—86 ( 313),

$$F_3 \sim 106 ; d = 1,4 ; -10,5 \\ 1 \sim 50,01 / ; s_3 = 2,119$$

$$= 1150 / 2$$

$$F^* \\ = 1 - 27 = 1 - 0'245 ;$$

$$t'ft = " - \frac{1150 - 0,245}{35} = 8,05 /$$

$$vk \quad \frac{5,0}{8,05} - 0,622 .$$

$$= \frac{50,01}{2,0} = 25,01^2 5,0 .$$

$$\frac{50,01}{25,} \quad 2,0 /$$

$$= 25,0 + 1,5 = 26,5 ;$$

$$£ > = 10,5 - 1,4 = 9,1 ;$$

$$\frac{20}{2 \sim q} = ;$$

$$s_2 = \frac{80}{2,0} = 40 ;$$

$S- = 2 Q - 53$  ,

$(26,5+1 - 1,5) \cdot 1,4 - 36,4$  ;

$/_0 = 36,4 + 53 = 89,4$  ;

$i_x = 83,4 - 10 = 79,4$  ;

$J_a = 89,4 - 43 = 49,4$  ;

$/ = 2,1 + 1,4 = 3,5$  .

$+_3$

( ) 15>3

$\Sigma i = 16$  ( 13770—86, 314),

## 2.

$: +1 = 100$  ;  $+2 = 250$  ;  $/ = 100$  ;  $\Sigma i = 154 - 25$  ;  $1 = 10$  / . (5)

6, 0,25 ( 1) 1) III

0,1 0,4 ( 1) +3; 10,1 +2 250 253 =2784-417 .  
1—0,4 " 0,9 0,6 13764—86

6 = 0,154-0,40 ( 1)  
+3: (2):

+3=2944-417 .

13774—86

$+_3: 300; 315; 335; 375 = 400.$

252):

$+ = 300$  ;  $d = 1,4$  ;  $<+ = 3,10$  ;  $/+ = 17$  ;

$= 50,93$  / ;  $\$3 = 5,900$  .

13764—86 III  $_3 = 0,6 R_m$  .

9389—75

$_3 = 0,6 - 2300 = 1380$  .

$V_{max} fVh$ ,

(1), (2) (5):

$= 1 \sim \frac{+2}{F_3} \wedge 1 - \frac{250}{300} = 0,167$  ;

$1380 - 0,167$  / ;  
 $\sim 2 - = 7$

$$\frac{\Delta \max}{V_k} = \frac{10,0}{7,0} = 1,43 > 1.$$

$$6 \quad \text{III} \quad \text{.} \quad \text{, 1,} \\ \text{.} \quad \text{.} \quad \text{.} \quad \text{.}$$

$$- \frac{F_2 - F_1}{h} \quad \frac{250 - 100}{100} = 1,5 \quad / \quad \text{.}$$

(7):

$$50,9 \\ = - = 77 \quad = 33'9 \ 34^{\circ} \quad \text{.}$$

:

$$- = 50,9 \quad \frac{,}{34} \quad = 1,49 \ 1,5 \quad / \quad \text{.}$$

(8):

$$- + 1,5 = 34,0 + 1,5 - 35,5 \quad \text{.}$$

$$(7) \quad \text{.} \quad \text{.} \quad \text{.} \quad \text{.} \\ = -d \sim \text{V} - 3,10 - 13,90 \quad \text{.}$$

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$$S_1 = \frac{F_1}{c} \quad \frac{100}{1,5} = 66,7 \quad ; \quad ( )$$

$$S_2 = \frac{F_2}{c} \quad \frac{250}{1,5} = 166,7 \quad ; \quad (12)$$

$$= \frac{300}{1,5} = 200 \quad (13)$$

$$D \quad \frac{13,90}{3,10} = 4,5 \quad (10)$$

$$I_3 = (r_1 + l - 0)d_1 A = (35,5 + 1) * 3,10 - 1,021 = 115,5 \quad (14)$$

$$I_0 = I_3 - l - S_3 = 115,5 + 200 = 315,5 \quad (15)$$

$$I_1 = I_0 - 5^3 15,5 - 66,7 = 248,8 \quad (16)$$

$$I = I_0 - S_a = 315,5 - 166,7 = 148,8 \quad (17)$$

$$<= S_3 + d_1 A = 5,9 + 3,10 * 1,021 = 9,19 \quad (18)$$

F3,

13774—86,

III

1,

F\$

u<sub>ma</sub> /

,

F<sub>3</sub>

U.

1

$F_{lg}$	300		315		335	
$d,$	1,4	1,6	1,4	1,6	1,4	1,6
	3,10	3,50	3,10	3,50!		3,50
$Dj,$	37,0	24,0	16,0	22,0	15,0	21,0
$Vmaxi "Ok$	1,43	1,50	1,16	1,21	0,942	0,984
$/ ,$	317,0	273,9	355,1	309,0	405,1	337,0
	250,4	207,2	288,4	242,3	3=3,8,4	270,3
$1_2 >$	150,4	107,2	188,4	142,3	238,4	170,3
	36,0	20,0	44,5	27,0	56,0	31,0
$V, \text{~}^3$	57000	93000	58000	92000	60000	93000

$$= 546^{\wedge} \begin{matrix} , \\ 11,5 \end{matrix} \quad . \quad . \quad . \quad 2,2$$

3.

$$\parallel \quad . \quad \quad \quad (2) \quad \quad \quad F_3,$$

37

$$F = \frac{F_2}{1-0,05} \quad \frac{fa}{1-0,10} = 842 - 889$$

842--889  
494)

1 ( 494 )

Fg=850 ; Dj=30 ;  $d=4,5$

$\wedge = 242,2$  / ;  $\wedge = 3,510$

(4)

$$= \frac{F_2 - F_1}{h} \quad \frac{800-250}{100} = 5,5 \quad / \quad .$$

(7):

242,2  
^ 5,5 44.

$$s_i = -\frac{F_x 250}{5,5} 45,5 ; \quad (12)$$

$$- \frac{F_O 80}{5,5} j - 145,5 ; \quad (12)$$

$$- \frac{F 850}{5,5} - 154,5 ; \quad (13)$$

$$) \quad (15)$$

$$I = I_0 + s_1 = 202,5 + 45,5 = 248,0 ; \quad (16)$$

$$I_2 = I_0 + s_2 = 202,5 + 145,5 = 348,0 ; \quad (17)$$

$$I_j = I_0 + s_j = 202,5 + 154,5 = 357,0 . \quad (1417)$$

$I_2$

$I_3$

( 24°)

$$\begin{array}{c} F_x F_2 F_j \wedge 30000 d > k \\ \sim \text{So} \quad \text{So} \quad \text{H/MM-} \\ k- \quad 1+0,333s \\ \quad \quad \quad \text{CObp} \end{array}$$

$$\begin{array}{c} P^{\wedge} \text{arctg} \quad +1 \\ t - \frac{D}{d_{\%}^*} \\ \quad \quad \quad /+^* \\ \quad \quad \quad d^* \end{array}$$

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**5616—86**

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13765—68

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9389—75	3.6	13770—86	1
1071—81	3.6	13771—86	1
13764—86	3.2, 3.4; 3.6; 3.8	13772—85	1
13766—86	1	10773—86	1
13767—86	1	13774—86	1
13768—86	1	13775—86	1
13769—86	1	13776—86	1

7. ( 1991 .)  
1988 .( 2—89). 1,